

Geneva Mechanisms are used to transform a continuous rotation into an intermittent rotation on a different axis. An example of such a system is represented in Figure 1.

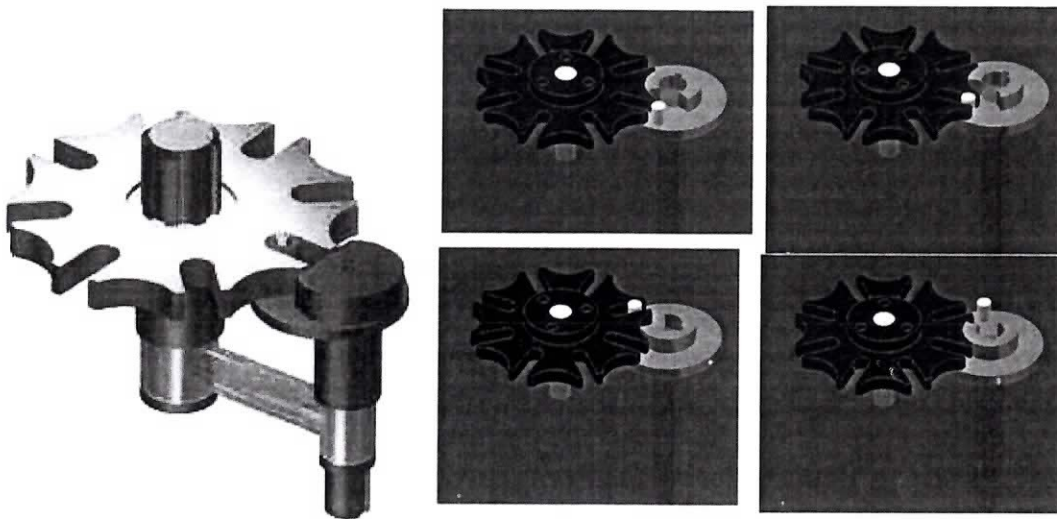


Figure 1 – Model and running of an example of Geneva Mechanism.

**Part A:**

A simplified analysis of the rotation transfer is proposed based on the kinematic model in Figure 2. The system is decomposed into:

- Solid 0 : ground
- Solid 1: a rod of length  $d = O_1M_1$  with a pin at its extremity.
- Solid 2: a cylindrical wheel of centre  $O_2$  and radius  $R$  partly cut by a slot (groove) on one diameter (*with the objective of approximating the local geometry of an actual Geneva Mechanism*). The slot axis is along  $(O_2, \vec{y}_2)$ .

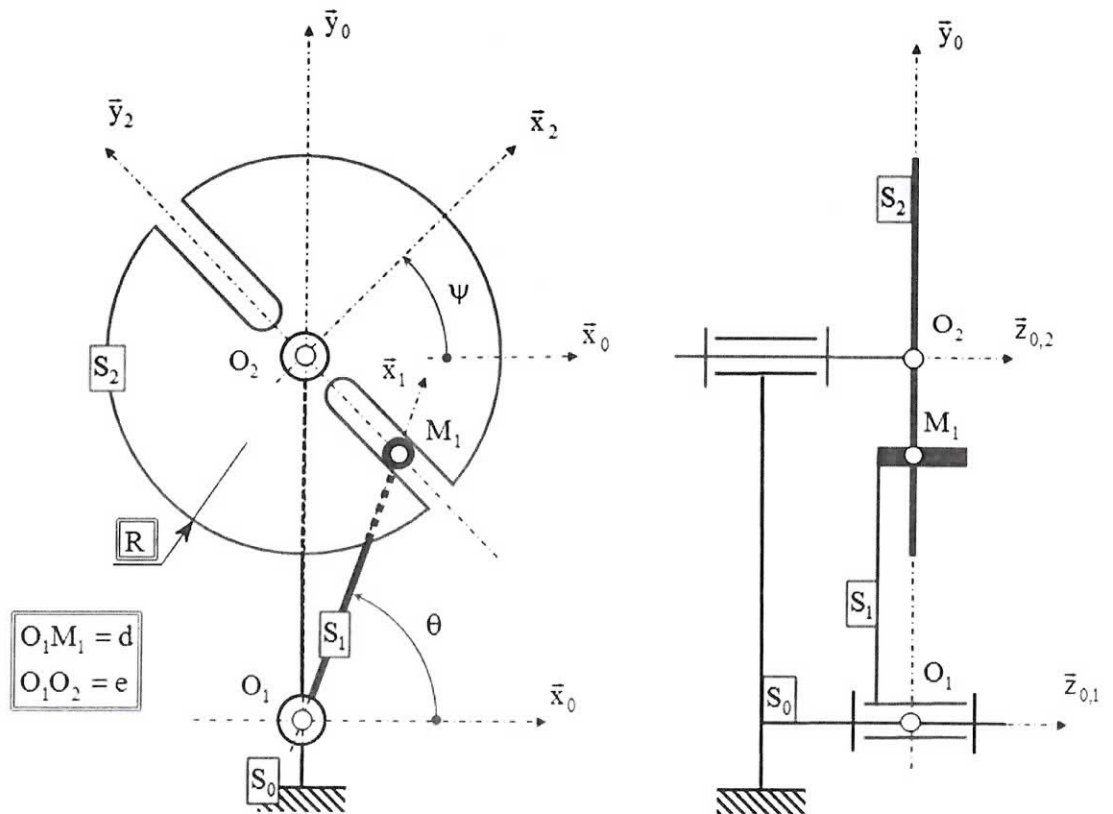
The joints between the parts are:

- 1/0 : revolute joint of axis  $(O_{0,1}, \vec{z}_{0,1})$  and parameter  $\theta = (\vec{x}_0, \vec{x}_1)$
- 2/0 : revolute joint of axis  $(O_2, \vec{z}_{0,2})$  and parameter  $\psi = (\vec{x}_0, \vec{x}_2)$
- 2/1: the pin located at  $M_1$  (tip of the rod) slides in the slot (groove) of the wheel (solid 2) with no clearance. No parameter for this joint.

The centre distance  $O_1O_2$  is such that  $O_1O_2 = e$

**Questions:**

- 1 – Frame definition, change of basis diagrams and graph of links.
- 2 – Deduce the constraint equation(s). Give the degree of mobility.
- 3 – In order to avoid shocks at the pin engagement in the slot, the velocity with respect to the ground at point  $M_1$  must be collinear with the slot axis. Find the relationship between  $\bar{y}_1$  and  $\bar{y}_2$  for this particular position (engagement). Deduce the necessary condition on the geometrical parameters  $e, d$  and  $R$ .
- 4 – For any position of the pin in the slot, calculate  $\bar{V}(M_1/O)$  and the sliding velocity vector between the rod and the wheel at point  $M_1$ ,
  - a) by analytical means
  - b) graphically, by using the annex enclosed.
- 5 – From the graphical construction in question 4- and assuming that the dimensions in the figure in the annex are the real ones, determine the speed ratio  $\rho = \dot{\psi}/\dot{\theta}$  for the particular position represented in the annex.

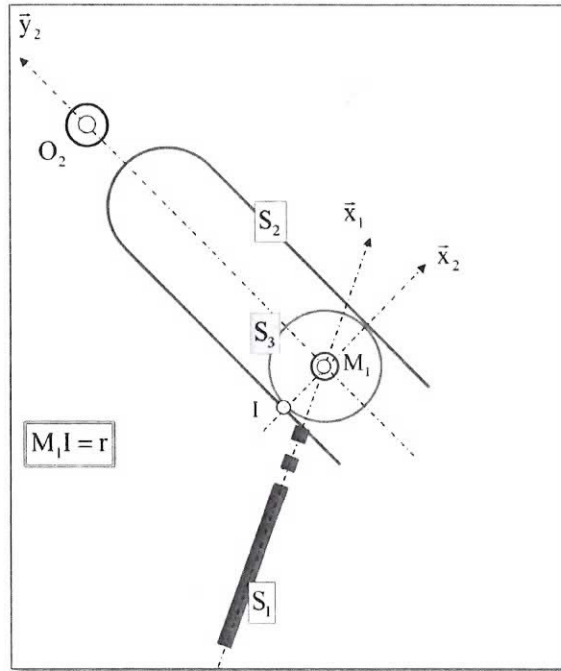


**Figure 2**

**Part B:**

In order to avoid excessive slipping between the wheel and the rod, the pin is replaced by a roller (disc, solid 3) of centre  $M_1$  and radius  $r$  (see Figure 3).

The joint between the roller (solid 3) and the rod (solid 1) is a revolute joint of axis  $(M_1, \vec{z}_{1,3})$  and parameter  $\gamma = (\vec{x}_1, \vec{x}_3)$ . It is assumed that the contact between the roller (solid 3) and the wheel (solid 2) takes place at point  $I$  only (on the lower surface of the slot); this contact is considered as permanent and **without slipping (no sliding)**.



**Figure 3**

(Zoom on 2/3 contact)

**Questions:**

- 1- Change of basis diagrams and graph of links. Deduce the constraint equation(s) (geometric and kinematic) associated with this new configuration.
- 2- Using the fact that the sliding velocity vector should always lies in the tangent plane for permanent contacts, determine the speed ratio  $\rho = \dot{\psi} / \dot{\theta}$ . Do you think that it should be different from that in Part A? Justify.
- 3- Specify the nature of the tangent motion to the motion 3/2. Is it possible to have no slipping at the point opposite to  $I$  on the  $(I, \vec{y}_2)$  axis (on the same diameter)? Justify.

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